

# Deep Horizon

## Modeling of Earth's Radiation Environment. Final Presentation

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# Introduction

## Introduction

### Background

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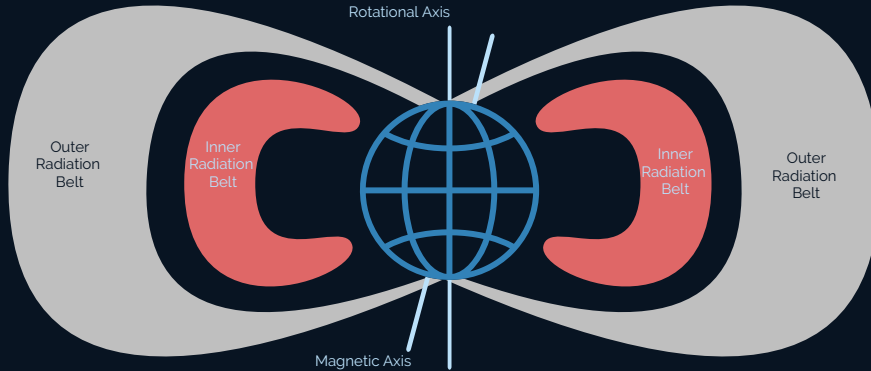
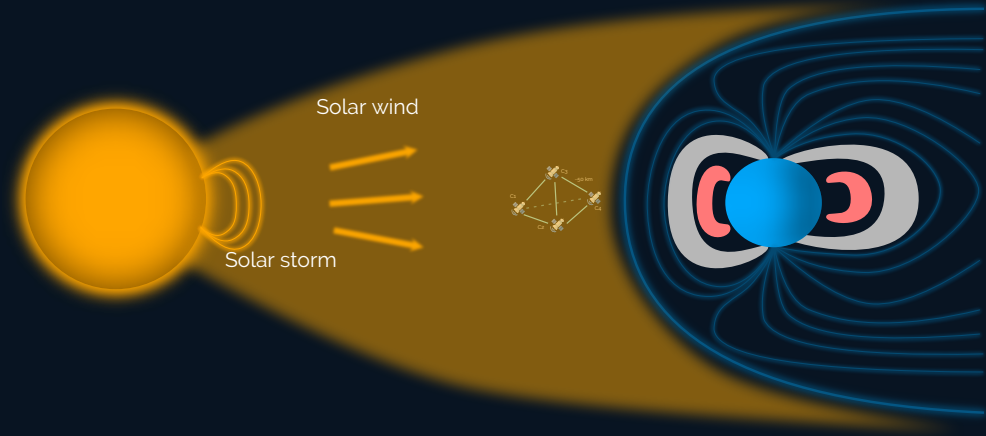


Figure: [https://en.wikipedia.org/wiki/Van\\_Allen\\_radiation\\_belt](https://en.wikipedia.org/wiki/Van_Allen_radiation_belt)

# Introduction

## Background

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# Introduction

## Motivation

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### Energetic particles

- ... are hazard for modern spacecrafts (e.g., satellites)
- ... contaminate data in space observation (e.g. XMM)

### Such contamination

- ... could cause severe data loss
- ... is highly dynamic
- ... is not yet well understood by the physicists

# Introduction

## Data

### Cluster esa

- **Proton Intensities on 7 Energy Channels** (p1 – p7)
- **Positions** (Coordinates, Distance from Earth)

### OMNI

- **Geomagnetic Activity** (AE Index, SYM-H Index)
- **Solar Activity** (Solar Radio Flux)
- **Solar Wind Activity** (Speed, Density, Temperature, Dynamic Pressure)

**Foot Type:** Connection to the Magnetic Field Line to the Earth

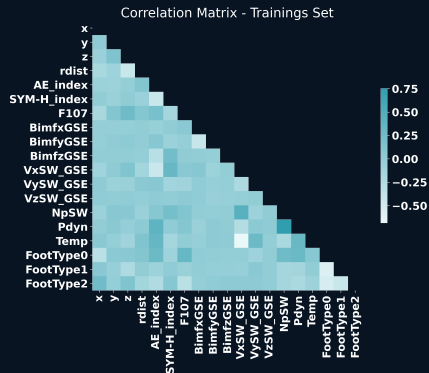
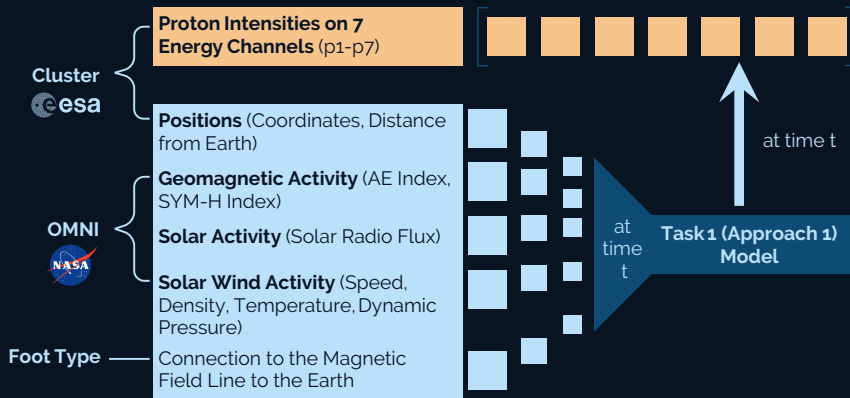


Figure: Correlation Matrix (Trainings Set)

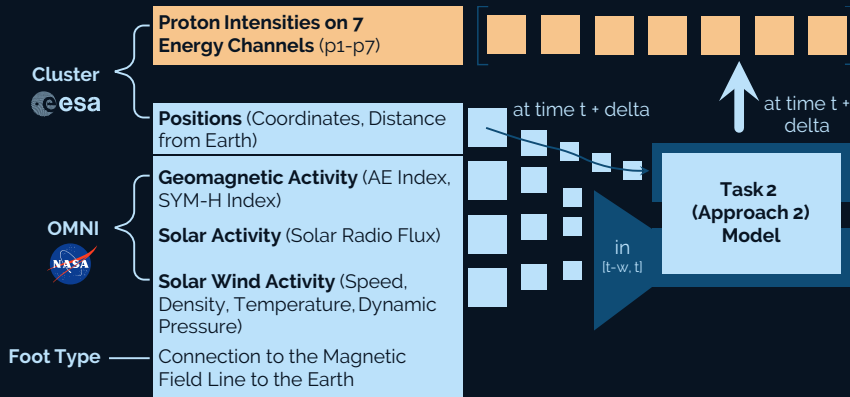
# Our Approaches

## Approach 1



# Our Approaches

## Approach 2

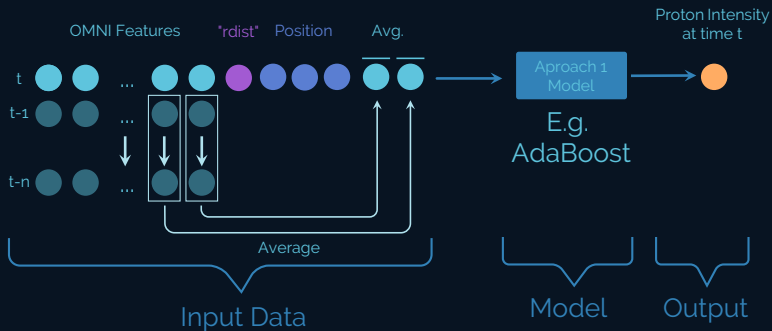


# Approach 1

## Approach 1 Architecture

Basic architecture for each channel 1-7:

- $Input + OMNI_t \rightarrow$  Prediction of proton intensities at timestamp  $t$
- **Additional features:** Average of the last 1, 2, 4, 8, 16 ... hours of data
- **Output:** Proton intensities at timestamp  $t$  for channel  $p$



# Approach 1

## Models and Techniques

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### Tree-Based

- Averaging:
  - Averages independent estimators
  - Low variance
  - **ExtraTrees, RandomForest**
- Boosting:
  - Sequentially combined weak estimators
  - Robust, works well with non-linear decision boundaries
  - **AdaBoost, HistGradientBoosting, GradientBoosting, LightGBM**
- Decision Trees (Regression Trees):
  - Simple decision rules
  - Low costs

# Approach 1

## Models and Techniques

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### Non Tree-Based

- Linear:
  - Linear combination of features
  - **LarsRegression, RidgeRegression**
- **kNeighborsRegression**

### Baseline:

- Mean: Predicts the mean of a channel
- Historical Binning: Predicts mean over an according spatial bin



## Approach 2 (DeepHorizon)

## Approach 2 (DeepHorizon) Architecture

### Proton intensities:

- For a point  $p$  in 3D space (i.e.  $(x, y, z)$ )
- At time  $t + \Delta$

### Parameters:

- Sequence: 3 hours
- Forecast: 5 minutes

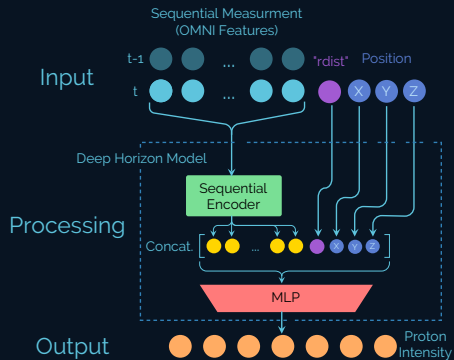


Figure: Deep Horizon Architecture (Approach 2)

## Approach 2 (DeepHorizon)

### Model Classes

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Model Class	Model(s)	Inductive Bias
RNN	LSTM / GRU	Sequentiality
CNN	(Causal) CNN (TCN)	Locality
Differential Equation	Neural ODE / Neural CDE	Continuity

## Approach 2 (DeepHorizon)

### NeuralODE/CDE

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#### Idea:

- Learn the **rate of change**

#### Recipe:

- Learn **derivative**  $f_\theta = \frac{\partial F_\theta}{\partial x}$
- Integrate over derivative  $F_\theta = \int f_\theta$
- Solve differential equation by adding initial condition  $z_0 + \int f_\theta$

#### Final Model:

$$y \approx \ell_\theta^1(z_T), \text{ where } z_t = z_0 + \int_0^t f_\theta(z_s) ds \text{ and } z_0 = \ell_\theta^2(x)$$

#### Downside:

- Initial-value-problem  $\rightarrow$  **Neural CDE**

#### Example:

$$y = x^2 + 5$$

$$y' = 2x$$

Perfect case:

$$y_{\text{learned}} = 5 + \int 2x \, dx$$

$$y_{\text{learned}}(5) = 5 + 25 = 30 = y(5)$$

# Results

## Results

### Evaluation of the Outcome

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” We were able to reach very good results in predicting/forecasting proton intensity!

How did we evaluate our models?

- Initially we calculated 5 different metrics for evaluating our models  
→ MSE, MAE, Pearson Correlation, Spearman Correlation, R2 Score / Prediction Efficiency
- Finally, we just use the **Spearman Correlation**

Explanation Spearman-Correlation

- Statistical measurement of the strength of a **monotonic** relationship
- The closer SC is to  $\pm 1$  the stronger the monotonic relation

$$SC = \frac{\text{covariance}(\text{rank}(X), \text{rank}(Y))}{\text{std}(\text{rank}(X)) \cdot (\text{rank}(Y))} \quad \text{with, } SC \in [-1, 1]$$

## Results

### Approach 1

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Overall best result **0.63** on channel 1 from **ExtraTree**!

Channel	Model	SC
<b>1</b>	<b>ExtraTree</b>	<b>0.63</b>
2	GradientBoostingReg	0.5639
3	AdaBoostReg	0.5923
4	AdaBoostReg	0.5637
5	HistGradientBoostingReg	0.4579
6	GradientBoostingReg	0.2939
7	GradientBoostingReg	0.2926

Simple Regression and all leading models are **tree-based**!

- General known: Tree-Based Models are quite good!
- Self-learning → less dependent on parameter than e.g. SVM

# Results

## Approach 1 - Plots (Best Model)

ExtraTree\_AE\_index Channel 1: Prediction vs. Observation (Count)

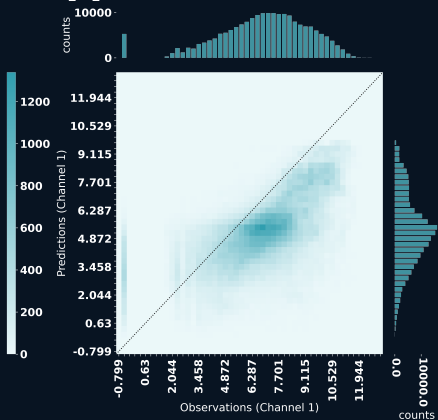


Figure: ExtraTree (Channel 1): Prediction vs. Observation

ExtraTree\_AE\_index Histogramm of model residuals (Channel: 1)

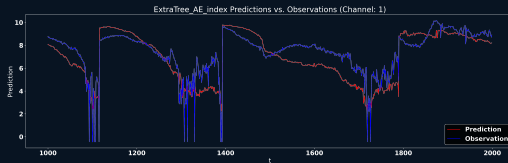
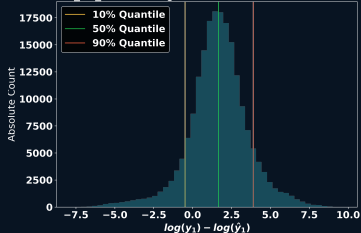


Figure: ExtraTree (Channel 1): Residuals and Predictions vs. Observation over time



# Results

## Approach 1 - Feature Importances

Feature importances for second best task 1 model (**AdaBoost**) on channel 1.

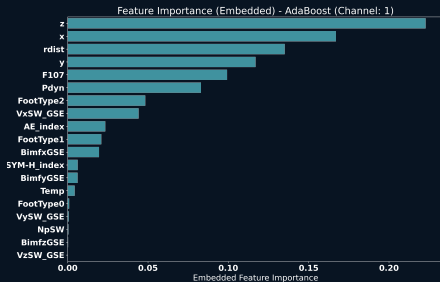


Figure: Embedded Feature Importance

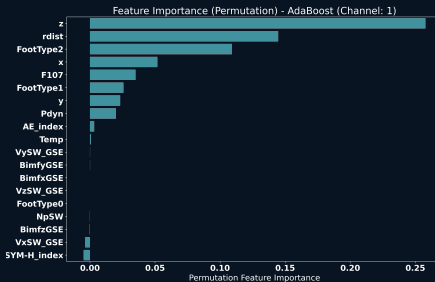


Figure: Permutation Feature Importance

## Results

### Approach 2

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Best task 2 result **0.6537** on channel 1 from **GRU**!

Channel	Model	SC
<b>1</b>	<b>GRU</b>	<b>0.6537</b>
2	GRU	0.5687
3	GRU	0.604
4	GRU	0.5607
5	GRU	0.3988
6	NCDE	0.2022
7	NCDE	0.1918

We beat the task 1 models on nearly every channel!

# Results

## Approach 2 - Plots (Best Model)

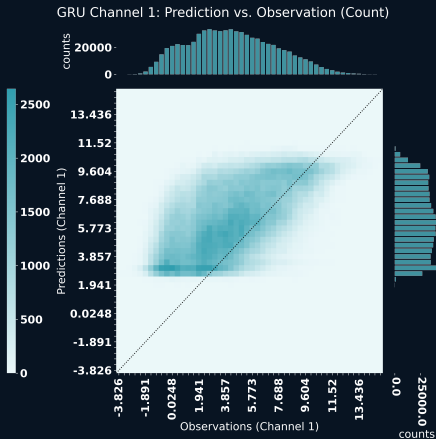


Figure: GRU (Channel 1): Prediction vs. Observation (Observations > 1)

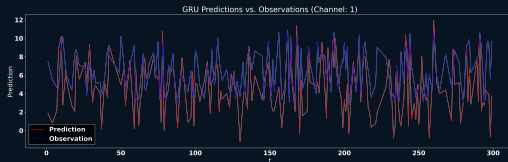
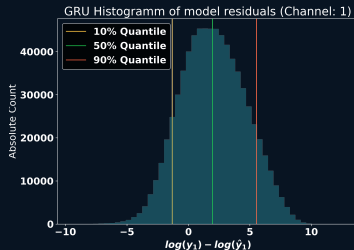


Figure: GRU (Channel 1): Residuals and Predictions vs. Observation over time

# Results

## Approach 1 vs. Approach 2



Overall best result **0.6537** on channel 1 from **GRU**!

Channel	SC (Task 1)	SC (Task 2)
1	<b>0.63</b>	<b>0.6537</b>
2	0.5639	0.5687
3	0.5923	0.604
4	0.5637	0.5607
5	0.4579	0.3988
6	0.2939	0.2022
7	0.2020	0.1918

What can we derive from those results:

- Task 2 models achieved slightly better performance
- Task 2 differences that could relate to the output:
  - ... more complex models to capture highly dynamic relations
  - ... sequential input
  - ... ability to capture trends
- Channel 6/7 in general quite hard to prediction
  - ... a lot of missing data!
  - ... unpredictable particle behavior in high channels (high dynamic)

# Results

## Some remarks on statistical interpretability

2-sided hypothesis test on spearman correlation:

- Null hypothesis: Predictions are uncorrelated to Observations
- Result:  $p = 0$  for all channels  $\rightarrow$  Null hypothesis is rejected
- Interpretation: **Our model learned the trend of proton intensities!**

Paired t-test on residuals:

- Null hypothesis: Mean of residuals  $= 0$
- Result:  $p = 0$  for all channels  $\rightarrow$  Null hypothesis is rejected
- Interpretation: Predictions has systematic error

# Results

## XMM Use Case

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### About XMM:

- The XMM-Newton X-Ray telescope is the biggest scientific satellite ever built in Europe
- It has very sensitive cameras that can see much more than any previous X-ray satellite

### Use Case

- We have data about the contamination level of the XMM telescope
- Idea:
  - Take the  $x, y, z$  coordinates from the XMM + OMNI data
  - Use best model for predicting the 7 energy levels
  - Goal: See which channel correlates best with the "contamination level"

**Result:** We were not able to see a correlation between our predictions and the XMM contamination level.

# Results

## Conclusion and Future Work

” We achieved very promising results and we were able to make a good contribution to predicting proton intensities by implementing ...

- ... a "simple" **regression approach** and
- ... a **sequential model**

### Future Work:



Fusion of temporal (OMNI) and non-temporal (spatial) features:  
 $encode(OMNI_{t-\Delta:t} | POS_t)$



Modeling systematic error (we are in a highly dynamic set up)

# Results


## Practical Usage

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Finally, what can we do with the work we did? Here we have two example use cases.


### Hydroelectric Powerplants

- Geomagnetic storms can damage hydroelectrostations

 Forecasting a high proton intensity could help react on geomagnetic storms beforehand (e.g. shut down systems)!

### Space Measurements

- High proton intensity are hazardous for satellites (e.g. harm components)
- High proton intensity affect and disturb the measurements

 Forecasting a high proton intensity at a specific position could help to react on the situation, e.b. change trajectory of satellite.

**In general:** The models and their predictions could help to understand contamination and influencing factors in the outer space.



A SpaceX Falcon 9 rocket carrying the company's Crew Dragon spacecraft is launched from Launch Complex 39A on NASA's SpaceX Demo-2 mission to the ISS with NASA Saturday, May 30, 2020, at NASA's Kennedy Space Center in Florida

**Thank you!**  
Questions?